

**NISTIR 6774**

# **Workshop On Fire Testing Measurement Needs: Proceedings**

William Grosshandler  
(Editor)



**NIST**

**National Institute of Standards and Technology**  
Technology Administration, U.S. Department of Commerce



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*Building and Fire Research Laboratory*

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**U.S. Department of Commerce**  
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## **F. MEASUREMENT UNCERTAINTIES INS STANDARD FIRE TESTS**

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## Measurement of Uncertainties

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Fire Test Laboratory Workshop    **SOUTHWEST RESEARCH INSTITUTE**

## Motivation

- ❑ **ISO 17025** – December 31, 2002  
Test laboratories must have and apply procedures for estimating uncertainty of measurements.
- ❑ **ISO 5725** – Guide to the Expression of Uncertainty in Measurement (GUM)

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## What is Uncertainty?

- ❑ Doubt that exists about the result of any measurement at any level, i.e. national laboratories, test laboratories, calibration laboratories, and end users.
- ❑ Tolerances are **not** uncertainties, but are acceptance limits.
- ❑ Specifications are **not** uncertainties. Specifications tell you what you can expect for a group or type of **instruments**.

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## Approach to Meet Requirements

- ❑ Calculate measurement uncertainty in accordance with **ISO 5725**
- ❑ Support all measurements with uncertainty budgets
- ❑ Represent as expanded uncertainties using a coverage factor of 2 to approximate the 95% confidence level

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## Reporting a Measurement

- ❑ “M” = 0.00 ± 0.00 (95% Confidence Level)
- ❑ “M” = 0.00 ± 0.00, 95% C.L.
- ❑ “M” = 0.00 measured with an uncertainty of 0.00 with a coverage factor of 2

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## Uncertainty Evaluation

- ❑ Type A Evaluation
  - Based on statistical analysis of a series of discrete observations using
    - Sample mean –  $(\bar{x}) = \left(\frac{1}{N}\right) \sum x_i$
    - Sample variance –  $\sigma^2 = \left(\frac{1}{N-1}\right) \sum (x_i - \bar{x})^2$
  - Usually at a 95% Confidence Level

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### Uncertainty Evaluation

#### □ Type B Evaluation

⌘ When the information is scarce, it is based on scientific judgment using all relevant information available.

- Previous measurement data
- Experience with the behavior and property of relevant materials and instruments
- Manufacturer's stated specifications
- Engineering evaluation
- Data provided in calibration and other reports
- Uncertainties assigned to referenced data taken from handbooks

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### Combined Type A, B Evaluation

$$u_t = \sqrt{\left\{ \left( \frac{\partial E}{\partial x_1} \right) \times u_1 \right\}^2 + \dots + \left\{ \left( \frac{\partial E}{\partial x_n} \right) \times u_n \right\}^2}$$

$u_t$  = total measurement uncertainty

$\partial E / \partial x_i$  = partial derivative of the defining test equation with respect to the  $i^{th}$  individual measurement

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### Concerns

- Test labs very seldom have enough data to make a Type A estimate, resulting in uncertainty of Type B only.
- Manufacturers of instruments do not always provide complete uncertainty statements
- Calibration laboratories should be following ISO 17025, but this is an ongoing process and many are not fully up to speed (calibration laboratories may require more than 2 years to comply ISO 17025)

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### Concerns

- Some test equipment is unique and has no means of outside calibration. Must rely on calibration of components and subsystems.
- Equipment may have embedded sensors or transducers that cannot be removed and reinstalled without destruction.
- There is a shortage of accredited calibration laboratories to meet the demand of the test laboratories.
  - ⌘ Results in higher cost
  - ⌘ Time delays

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### Concerns

- For each increment of accuracy, cost increases proportionally.
- Tolerances are often used as uncertainties because manufacturers rarely provide uncertainty data.
- If routine recalibration shows an instrument to be out of specification, it casts doubt on ALL test results generated with the instrument since its last calibration
- Interlaboratory proficiency testing (round robin) is an option, but it has associated cost to the laboratories.

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### Type B Evaluation for HRR Measurement – ASTM E 1354

- Evaluation for uncertainty in HRR requires measurement of
  - ⌘ Differential pressure,  $\Delta P$
  - ⌘ Exhaust duct temperature,  $T_e$
  - ⌘ Mole fraction of oxygen,  $X_{O_2}$
- The instruments used to make these measurements rely on the following manufacturer specifications
  - ⌘ Pressure transducer = 1%
  - ⌘ Thermocouple = 0.75%
  - ⌘ Oxygen analyzer = 0.5%

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### HRR Example

- Uncertainty calculation assumes a rectangular distribution found from  $\frac{a}{\sqrt{3}}$  where a is the upper and lower range of the limit
- Expanded uncertainty uses root sum square method with coverage (k) factor of 2 for 95% confidence level

$$u_i = \left\{ \sqrt{\left(\frac{u_{\Delta P}}{\sqrt{3}}\right)^2 + \left(\frac{u_{r_o}}{\sqrt{3}}\right)^2 + \left(\frac{u_{X_{O_2}}}{\sqrt{3}}\right)^2} \right\} \%$$

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### HRR Example

$$u_i = \left\{ \sqrt{\left(\frac{1.00}{\sqrt{3}}\right)^2 + \left(\frac{0.75}{\sqrt{3}}\right)^2 + \left(\frac{0.50}{\sqrt{3}}\right)^2} \right\} \% = 0.78\%$$

- Coverage (k) factor of 2

$$u_i = 2 \times 0.78\% = 1.56\%$$

- Provides 95% confidence level

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### HRR Example

- $HRR = f(\Delta P, T, X_{O_2}, \Delta h_c/r_o)$  where
- $\Delta h_c/r_o = 13.1 \times 10^3$  kJ/kg oxygen
  - $A_h$  = net heat of combustion
  - $r_o$  = stoichiometric oxygen/fuel mass ratio
  - $\Delta h_c/r_o$  = oxygen consumption standard value
- R ASTM E 1354 gives an associated error for  $\Delta h_c/r_o$  of 5%
- Therefore, the error in  $\Delta h_c/r_o$  must be incorporated into the root sum square equation

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### HRR Example

$$u_i = \left\{ \sqrt{\left(\frac{u_{\Delta P}}{\sqrt{3}}\right)^2 + \left(\frac{u_{r_o}}{\sqrt{3}}\right)^2 + \left(\frac{u_{X_{O_2}}}{\sqrt{3}}\right)^2 + \left(\frac{u_{\Delta h_c/r_o}}{\sqrt{3}}\right)^2} \right\} \%$$

$$u_i = \left\{ \sqrt{\left(\frac{1.00}{\sqrt{3}}\right)^2 + \left(\frac{0.75}{\sqrt{3}}\right)^2 + \left(\frac{0.50}{\sqrt{3}}\right)^2 + \left(\frac{5.00}{\sqrt{3}}\right)^2} \right\} \%$$

$$u_i = 2.99\% \sim 3\%$$

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### HRR Example

- Approximated "standard deviation"
- $$u_i = 3\%$$
- Coverage (k) factor of 2 = expanded uncertainty
- $$u_i = 2 \times 3\% = 6\%$$
- Provides for 95% confidence level

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### Summary

- Uncertainty budget necessary to identify major contributing factors
- Uncertainty budget shows the overriding uncertainty comes from the oxygen consumption standard value
- Why pursue greater tolerances in pressure transducers, thermocouples, etc., when largest contributing factor is inherent in the oxygen consumption standard value?

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